

Answers for Lesson 13–6 Exercises

1. 0

2. 0

3. -1

4. undefined

5. 1

6. 0

7. 1

8. undefined

9. π

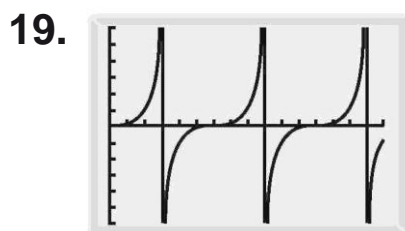
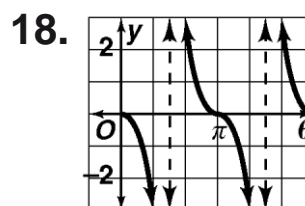
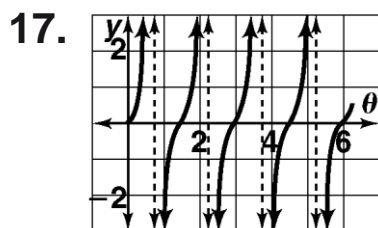
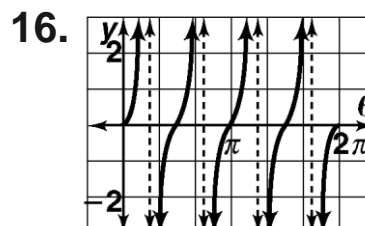
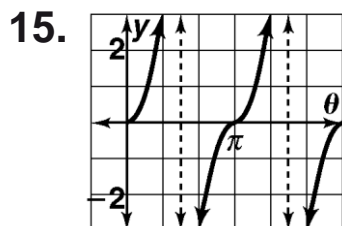
10. $\frac{\pi}{2}$

11. $\frac{\pi}{5}, \theta = -\frac{\pi}{10}, \frac{\pi}{10}$

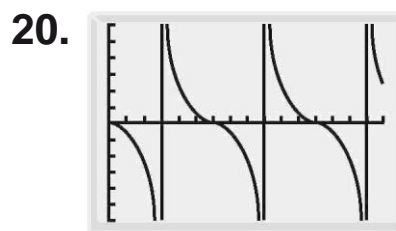
12. $\frac{2\pi}{3}, \theta = -\frac{\pi}{3}, \frac{\pi}{3}$

13. $\frac{\pi}{4}, \theta = -\frac{\pi}{8}, \frac{\pi}{8}$

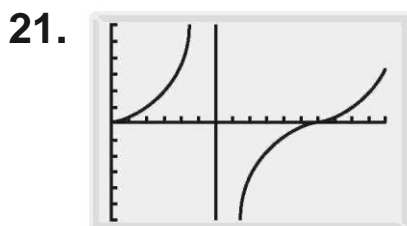
14. $\frac{3\pi^2}{2}, \theta = -\frac{3\pi^2}{4}, \frac{3\pi^2}{4}$



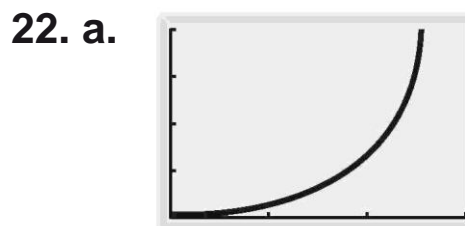
50, undefined, -50



-100, undefined, 100



$\approx 51.8, 125, \approx 301.8$

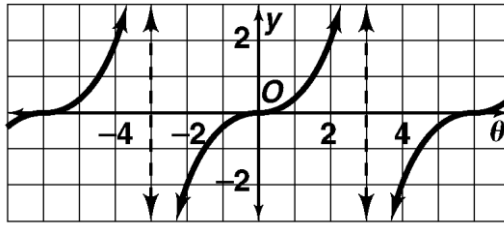


b. ≈ 14.3 ft

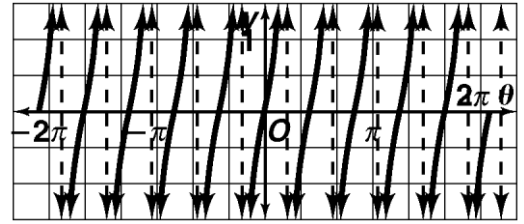
c. ≈ 20.2 ft

Answers for Lesson 13–6 Exercises (cont.)

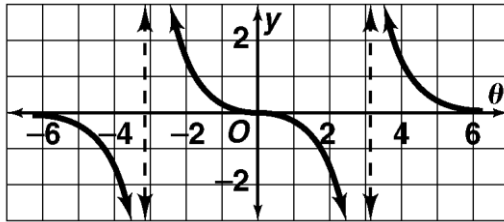
23. 6



24. $\frac{2\pi}{5}$



25. $\frac{2\pi^2}{3}$

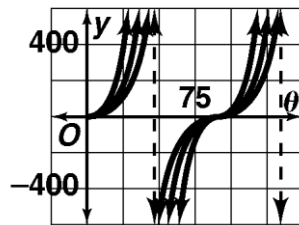


26. 1.11, 4.25

27. 2.03, 5.18

28. 0.08, 1.65, 3.22, 4.79

29. a.

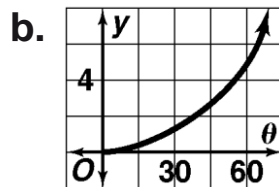


b. Check students' work; doubling the coefficient of the tangent function also doubles the output.

c. Answers may vary. Sample: the values of $y = 600 \tan x$ will be three times greater than the values of $y = 200 \tan x$.

30. a. 140.4 ft

c. $\approx 5.2 \text{ in.}^2$, $\approx 15.6 \text{ in.}^2$



d. ≈ 3888 tiles, ≈ 1296 tiles

$\approx 1.7 \text{ in.}$, $\approx 5.2 \text{ in.}$

31. Check students' work.

Answers for Lesson 13–6 Exercises (cont.)

32. The asymptotes occur at $x = -\frac{\pi}{2b}$ and $x = \frac{\pi}{2b}$; adding or subtracting multiples of their difference, b , will give other asymptote values.

33. 200

34. 0

35. 135

36. -162

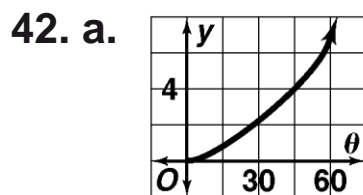
37. 70

38. $y = \tan\left(\frac{1}{2}x\right)$

39. $y = -\tan\left(\frac{1}{2}x\right)$

40. $y = -\tan x$ or $y = \tan(-x)$

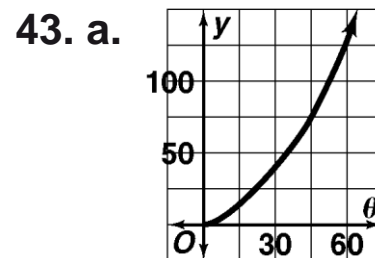
41. $y = \tan(2x)$



≈ 6.9 ft

b. ≈ 27.7 ft²

c. ≈ 166.3 ft²



b. ≈ 130 ft

c. $\approx 61,500$ ft²

44. a. Check students' work.

b. The new pattern is asymptote—(-a)—zero—(a)—asymptote.

45. Answers may vary. Sample: Triangles OAP and OBQ both share the angle θ and each triangle has a right angle, so they are similar by AA. $\frac{\sin \theta}{\cos \theta} = \frac{AP}{OA} = \frac{BQ}{OB} = \frac{\tan \theta}{1}$. Thus $\frac{\sin \theta}{\cos \theta} = \tan \theta$.

46. 2; for $0 \leq x < 2\pi$, x is nonnegative, and there are only 2 branches of the graph of the tangent function above the x -axis.